

Errata for the first print edition of
*Fundamental Proof Methods
in Computer Science*
MIT Press, 2017, First Edition

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- p. 32 see also Section 2.16 → see also Section 2.12
- p. 108 (`map`) and produces the list $[(f\ V_1) \cdots (f\ V_1)]$ → and produces the list $[(f\ V_1) \cdots (f\ V_n)]$
- p. 108 (`drop`) greater than the length of L → greater than or equal to the length of L
- p. 123 as well as the Substitution Axiom → as well as the Functional Substitution axiom
- p. 147 one of the proofs on page 142: → one of the proofs on page 143
- p. 147 or the proof on page 145: → or the proof on page 146
- p. 188 (Exercise 3.30) as follows and prove it: → as follows:
- p. 205 If the conditional $(\bar{p} \implies \text{false})$ is in the assumption base, then
- (`!by-contradiction p (̄p ==> false)`)
- will produce the conclusion p →
- If p and q are complements and the conditional $(q \implies \text{false})$ is in the assumption base, then `(!by-contradiction p (q ==> false))` will produce the conclusion p
- p. 215 (Disjunctive syllogism) of the form $(p \mid q)$ and \bar{p} (recall that \bar{p} is the complement of p), → of the form $(p \mid q)$ and r , where p and r are complementary,
- p. 243 which is to say that every interpretation falsifies p . Hence p is unsatisfiable. → which is to say that every interpretation falsifies $(\sim p)$. Hence $(\sim p)$ is unsatisfiable.
- p. 270 (footnote 28) see Section 2.6 → see Exercise 2.6
- p. 351 (Quantifier distribution) and finally, from a premise of the form $(\forall x . p_1) \vee (\forall x . p_2)$ → and finally, from a premise of the form $(\forall x . p_1) \vee (\forall x . p_2)$
- p. 356 (Footnote 15) role inside D_2 → role in the derivation of the second subgoal
- p. 357 (Second paragraph) (recall that we write \bar{q} for the complement of q): → :
- p. 366 (first code listing) `uspec` → `uspec*`
- p. 369 (last code listing) $T = [a\ b]$ → $T = \{a, b\}$
- p. 414 (last paragraph) The second and third steps of this example → The steps
- p. 415 (first paragraph) the first element → the starting element
- p. 487 develop the integers as a datatype → develop the integers as an inductive structure
- p. 504 the inference on line 14 → the inference on line 13
- p. 577 by the meta-identifiers `'when` → by the meta-identifier `'when`
- p. 768 the expression `constructorsaccept` → the expression `constructors accept`
- p. 782 as described in footnote 21 → as described in footnote 21 of Chapter 3
- p. 785 keep in mind that `I` returns → keep in mind that `I'` returns
- p. 785 the recursive invocation of `I` on either → the recursive invocation of `I'` on either
- p. 813 two arbitrary states s_1 and s_2 , on line 2 → two arbitrary states s_1 and s_2 , on line 3
- p. 814 in which case the call on line 12 → in which case the call on line 15
- p. 869 A deduction `pick-witness I for F I2 D` → A deduction `pick-witness I1 for F I2 D`
- p. 872 whose sort is an instance of the datatype sort S_D → whose sort is an instance of the inductive sort S_D
- p. 873 the reflexive constructor `App` → the reflexive constructor `app`
- p. 877 (Case 2) if V is a term variable of sort T → if V is a term variable of the same name and of sort T
- p. 877 (At the very end of footnote 18) → This was written as $\hat{\tau}(S)$ in Section 2.8, but we use the simpler notation here.
- p. 903 produced the previous steps → produced by the previous steps
- p. 912 The syntax of deductions is specified in Appendix A.2 → The syntax of deductions is specified in Figure A.2